



Reg. No. :

Name :

**First Semester M.Tech. Degree Examination, February 2015
(2013 Scheme)**

Electronics and Communication

**Streams : Applied Electronics and Instrumentation, Microwave and TV
Engineering, Telecommunication Engineering**

TMC 1001 : ADVANCED DIGITAL SIGNAL PROCESSING

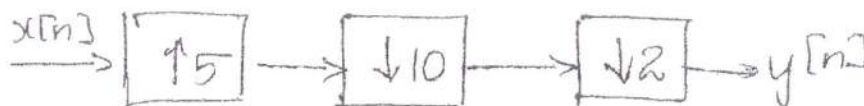
Time : 3 Hours

Max. Marks : 60

Instruction : Answer any 2 questions from each Module. Each carries 10 marks.

Module – I

1. A digital LP filter is to be designed such that the passband ripple ≤ 3 dB at passband edge 1.5 kHz and stopband attenuation of ≥ 10 dB at stopband edge of 3 KHz. Sampling frequency = 8000 Hz. Find H (z) using bilinear transformation. 10
2. Determine H (z) if $H (s) = \frac{1}{s^2 + \sqrt{2}s + 1}$, T = 1 sec. using impulse invariant method. 10
3. a) Let b represent a coefficient in a FIR filter transfer function. With infinite precision, if $b = .0075945513536$, what will be the quantization error if we are using 7 bits ? What are the effects of such errors in the filter response 5
 b) Find y [n] in terms of x [n]. 5



Module – II

4. a) Given $H_1 (Z) = \frac{1}{\sqrt{2}} (1 - Z^{-1})$. Design $H_0 (Z)$, $G_0 (Z)$ and $G_1 (Z)$ for a 2 channel PR QMF bank. 5
- b) Develop a 2 band polyphase decomposition of $H (z) = \frac{p_0 + p_1 z^{-1}}{1 + d_1 z^{-1}}$, $|d_1| < 1$. 5

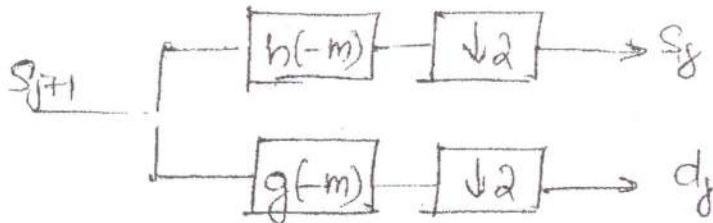
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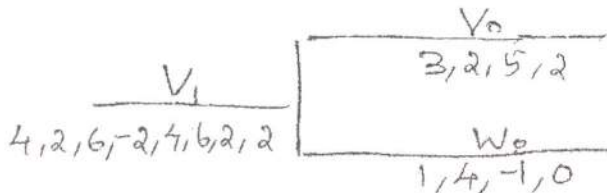
5. a) Consider a signal $x(t)$ which is the sum of 2 sinusoids of frequencies $f_1 = 500$ Hz and $f_2 = 1500$ Hz and two impulses at times $t_1 = 125$ ms and $t_2 = 130$ ms. Assume that we are using a window of width $T = 2.5$ ms to analyse the signal. Can we resolve, all the components in the signal? What happens when
- i) $T = 0.5$ ms
 - ii) $T = 8$ ms
- b) State the properties of wavelets used in continuous wavelet transform? 5
6. Derive the efficient implementation of uniform DFT analysis filter bank. 10

Module – III

7. Using the filter bank interpretation given by



Verify the following Haar decomposition of a signal in V_1 space to V_0 and W_0 spaces with unnormalized coefficients. 10



8. Starting from the normal equation, explain Leunson Durbin algorithm to solve the same. 10
9. Determine the autocorrelation function and power spectral density of the following signal.

$x(t) = A_C \cos(2\pi f_c t + \phi)$ where A_C and f_c are constants. ϕ is a random variable which is uniformly distributed over the interval $(-\pi, \pi)$. 10